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WHAT STARTS HERE CHANGES THE WORLD

CHE323/CHE384
Chemical Processes for Micro- and Nanofabrication
www.lithoguru.com/scientist/CHE323

Lecture 15 Diffusion, part 3

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Reading:
Chapter 3, *Fabrication Engineering at the Micro- and Nanoscale*, 4th edition, Campbell

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Kinds of Impurities

- Interstitial Impurities
 - Impurity is not a part of the crystal lattice (thus, is not acting as a dopant)
 - Can diffuse very quickly
 - Examples: transition elements (Cu, Fe, Au, Ni)
- Substitutional Impurities
 - Atom occupies a lattice position in place of Si
 - Diffusion is slow – bonds must be broken

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Mechanisms for Diffusion (substitutional impurities)

- Direct Exchange
 - Impurity swaps position with a neighboring silicon
 - 6 or 7 bonds must be broken
- Vacancy Exchange
 - Impurity moves into an adjacent vacancy
 - Only 3 bonds must be broken
 - Lower energy = more likely = faster
 - Vacancies are often charged, which affects rate of exchange since dopant is ionized

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Mechanisms for Diffusion

- Example: N-type, ionized donor atom (+ charge)
- Let D^- be the diffusivity into a negatively charged vacancy

$$\text{overall diffusivity} \propto D^- \times \begin{matrix} \text{Probability} \\ \text{the vacancy} \\ \text{is negatively} \\ \text{charged} \end{matrix} = D^- \left(\frac{n}{n_i} \right)$$

- Add neutral and doubly negative vacancy diffusion

$$D = D^o + D^- \left(\frac{n}{n_i} \right) + D^{=} \left(\frac{n}{n_i} \right)^2$$

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Mechanisms for Diffusion

- For n-type material, $n \approx N_D$
- Therefore, diffusivity is concentration dependent, $D(N_D)$, increasing with higher doping levels
- The same is true for positively charged vacancies and p-type material
- Near the junction, $n \approx p \approx n_i$, so both positively and negatively charged vacancies may affect diffusion

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Other Mechanisms

- Transient Enhanced Diffusion
 - At the beginning of the anneal step, the implant-damaged silicon is amorphous
 - Dopants can diffuse quickly through the amorphous material
 - Thus, at the very beginning of the anneal step, diffusion is rapid (TED)
- Interstitialcy Mechanism
 - Silicon self-interstitials move around then displace a lattice atom
 - If a lattice atom is a dopant, it becomes an interstitial and can rapidly diffuse before displacing a different lattice atom

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Other Mechanisms (2)

- Oxidation during diffusion
 - Often oxidation accompanies diffusion (whether desired or not)
 - Boron is more soluble in oxide than silicon, but all the n-type dopants are less soluble in oxide
 - The result is a redistribution of dopant in the silicon just below the oxide interface

$$\text{segregation coefficient } m = \frac{\text{Conc. in Si}}{\text{Conc. in SiO}_2}$$

For Boron, $m \approx 0.2 - 0.7$; for n-type dopants, $m \approx 10$

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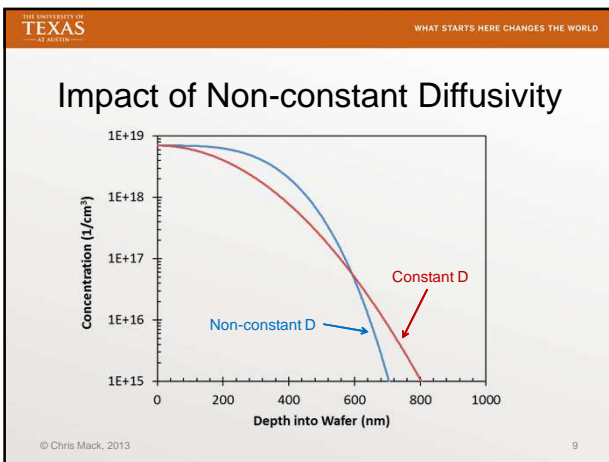
Electric Field Enhancement

- Charge carriers diffuse faster than dopants, creating a built-in voltage (especially near the junction)
- This results in an electric field that pushes the ionized dopants, enhancing their diffusion
- Approximate result (for a single impurity):

$$D_{\text{enhanced}} = D(1 + \eta)$$

$$\eta \approx \frac{C(z)}{\sqrt{C^2(z) + 4n_i^2}}$$

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Solving Diffusion Problems

- In general, analytical solutions are only available for constant diffusivity and simple boundary conditions
- For other cases, numerical solutions are required
 - A popular simulator is Supreme (Stanford University Process Modeling), and its commercial variants
 - 2D oxidation and diffusion simulation

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Multiple Diffusion Steps

- Wafer processing involves many high temperature steps
 - For each step, there is more diffusion
- Recall the analytical solution of a Gaussian dopant distribution that diffuses
 - The final variance equals the original variance plus the diffusion length squared
- The total effect of all high temperature steps is approximately

$$Dt_{\text{eff}} = Dt_1 + Dt_2 + Dt_3 + \dots$$

- In general, the highest temperature process dominates
- It is critical to control the entire thermal budget of the process

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Characterizing Diffused Dopants

- C-V curves
- Sheet resistance measurements

$$R = \rho \frac{L}{A} = \left(\frac{\rho_s}{t}\right) \left(\frac{L}{W}\right)$$

- Cross-section, decorate/stain, measure in SEM
- Secondary Ion Mass Spectroscopy (SIMS)

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Lecture 15: What have we learned?

- How does charge in a vacancy affect diffusivity?
- What is the main cause of the concentration dependence of the diffusivity of dopants in silicon?
- Define 'transient-enhanced diffusion'
- What is electric field enhancement of diffusivity?
- Explain how the overall thermal budget for dopant diffusion is accounted for

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